Introduction

Irradiation with energetic ions creates displacement cascades, resulting in disordered zones in chemically ordered alloys. At finite temperatures, this disorder competes with thermally activated ordering.

Schematic drawings illustrating the characteristic lengths introduced by irradiation: the relocation range \( R \) and the cascade size \( L \).

Materials under irradiation are dissipative systems, and as such, they are susceptible to self-organize (SO). There are twofold interests:
- Fundamental: excellent test bed of the theory driven systems since microscopic mechanisms are well identified and can be varied in a controlled manner experimentally.
- Practical: self-organization can be used to synthesize functional nanocomposites with tunable scales.

Objective: study the effect of cascade size \( b \) on self-organize.

Main results: we identify a new patterning reaction in the case of ordered alloys: when the cascade size \( b \) is large enough, the degree of chemical order develops fully disordered zones in \( L1_0 \) phases.

Kinetic Monte Carlo Simulations

Kinetic Monte Carlo simulations are employed to study the effect of the size of displacement cascades in an ordered alloy. A particular binary \( A_bB \) model alloy undergoing \( L1_0 \) ordering is selected.

The forced mixing and disordering produced in displacement cascades is introduced by forcing exchanges of atoms in the cascade. In the present model, four parameters are used to specify this forced mixing:
- \( \Gamma \), the rate of introduction of cascade per atom.
- \( b \), the cascade size.
- \( \eta \), cascade density: set to 80% in this work in order to create fully or near fully disordered zones in \( L1_0 \) phases.
- \( S \), the relocation distance: forced exchanges are here performed between nearest neighbor atoms, in order to isolate cascade size effects from relocation range effects on patterning reactions.

Finally, for comparison purposes, it is useful to introduce the ballistic jump frequency, \( \Gamma_{BJ} = b^* \Gamma_0 \), which is a measure of the disordering rate. \( \Gamma_0 \) is the number of replacements per atom per second.

The simulation temperature is set at 60% \( T_c \).

Simulation results are analyzed using complementary methods, encompassing direct visualization of the configurations in 2D and 3D, determination of the size and number of ordered clusters belonging to any variant, and calculation of the spherically averaged structure factor, centered on an \( L1_0 \) superlattice position.

Cascade model used in the simulations

For simplicity, the volume of the cascade is assumed to be spherical, and only one cascade size is used during each KMC run.

Three steady states under sustained irradiation

Three different steady states are identified. Besides the expected long-range ordered (LRO) and disordered states, for large enough cascade, there is a new state in the sense that the alloy is well ordered, but all six variants are present in domains of finite size; this is a state of patterning of the chemical order.

\[ \text{Low} \rightarrow \text{Intermediate} \rightarrow \text{High} \]

- Long-Range Ordered: under irradiation with large dense cascade \( b=4002 \), density \( 80\% \).
- Patterns of order: at increasing disordering frequency: \( \Gamma = 1000 \text{s}^{-1} \).
- Disordered: at \( \Gamma = 3000 \text{s}^{-1} \).
- Disordered: at \( \Gamma = 30000 \text{s}^{-1} \).

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Identification of Patterning-disordered boundary

\[ I(k) = \frac{1}{1 + (k/\xi)^2} + \frac{1}{\xi} \ln(2\Gamma_0) \exp(-\ln(2/\xi)) \]

Two components of structure factor:
2. Lorentzian: SRO, exponential decay of fluctuation of order.

Decomposed structure factors of two steady states: patterning of chemical order and disordered. It is clearly shown that the domain intensity is much higher than the SRO intensity in patterning state.

Simulation parameters are as marked.

Dynamical steady-state phase diagram

1) There is a minimum cascade size for patterning of degree of order to be possible. This threshold value is around \( b=100 \).
2) The patterning-disorder boundary is almost independent of the cascade size.
3) At small \( b \), \( \Gamma_{max} \) obeys scaling with \( \sqrt{b} \). At large \( b \), it obeys scaling with \( b^{3/2} \).

Summary

- A new steady state, patterning of chemical order, is predicted under irradiation with large and dense cascades.
- A dynamical phase diagram is built that yields the stable steady states as a function of the cascade size and the irradiation flux.
- KMC results are supported by analytical model (see PRB 70,041105(2004)).
- Patterning of chemical order is a general phenomenon. It can be used to rationalize previous experimental results by Nelson et al and Schmidt et al for \( \text{Nd}_{40}\text{Al}_{60} \) alloy.
- Direct synthesis of nano-composites by large and dense cascades (heavy ion irradiation) is possible.
- Potential applications for exchange-spring magnets (Kneucker and Hwang, 1991).

(a) Sketch of exchange-spring magnet. (b) KMC result of patterning state from \( b=3804 \) and 4002. White region: soft magnet (\( L1_1 \) phase). Dark region: hard magnet (\( L1_0 \) phase).

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